

MATERIALS MECHANICS ANSWERS OCR A LEVEL YEAR 1

1.

| Question | Expected Answers | Marks | Additional Guidance |
|--------------|---|----------|---|
| (a) | elastic potential (energy) / strain (energy) | B1 | Note: The candidates do not need to include 'energy' since it is in the stem of the question Not: 'stored energy' / 'elastic energy' |
| (b) (i) | strain = $\frac{0.35 \times 10^{-3}}{1.2} = 2.9(2) \times 10^{-4}$ | B1 | |
| (b) (ii) | stress = $1.9 \times 10^{11} \times 2.92 \times 10^{-4}$ (= 5.55×10^7 Pa) | C1 | Possible ecf from b(i) |
| | tension = $5.55 \times 10^7 \times 1.4 \times 10^{-7}$ tension = 7.8 (N) | A1 | Allow: Bald answer scores 2 marks |
| (c) (i) 1 | 10^{-9} (m) | B1 | |
| (c) (i) 2 | Material does not return to original length / shape / size when the force / stress is removed | B1 | There must be reference to stress / force removed to score this mark Note: If there is no reference to unloading then allow 'material is <u>permanently</u> deformed' |
| | | | |
| (c) (ii) | 50 times (stronger) | B1 | |
| (c) (iii) | Less mass / less weight / lighter Stronger / greater tensile strength | B1 | |
| | | B1 | |
| Total | | 9 | |

2.

| Question | Expected Answers | Marks | Additional Guidance |
|--------------|---|----------|---|
| (a) | mass = 140×3.0 (= 420 kg) | B1 | Allow: $\frac{420}{3.0} = 140$ (reverse argument) |
| (b) (i) | total mass = $500 + 560 + 420$ (= 1480 kg) | C1 | Note: Omitting one of the masses – can score maximum of 3 Omitting two masses – can score maximum of 2 Examples: 3 marks if mass of cable is omitted tension = $1908 + 10400 = 1.23 \times 10^4$ (N) 2 marks if mass of cable and people are omitted tension = $900 + 4905 = 5.8 \times 10^3$ (N) Note: 4 marks for 'tension = $(m(g + a)) = 1480 \times (9.81 + 1.8)$ ' |
| | total weight = $1480 \times 9.8(1)$ / total weight = 14520 (N) | C1 | |
| | net force = 1480×1.8 / net force = 2664 (N) | C1 | |
| | tension = $14520 + 2664$ | C1 | |
| | tension = $1.7(2) \times 10^4$ (N) | A0 | |
| (b) (ii) | stress = $\frac{1.72 \times 10^4}{3.8 \times 10^{-4}}$ / stress = $\frac{(b)(i)}{3.8 \times 10^{-4}}$ | C1 | Possible ecf from (i) |
| | stress = $4.5(3) \times 10^7$ (Pa) | A1 | Note: A tension of 1.7×10^4 (N) gives an answer of $4.4(7) \times 10^7$ (Pa) |
| Total | | 7 | |

3.

| Question | Expected Answers | Marks | Additional Guidance |
|--------------|---|----------|--|
| (a) | The graph shows length and not extension of the spring / spring has original length (of 2.0 cm) (AW) | B1 | Allow: 'length cannot be zero' |
| (b) | Straight line (graph) / linear graph / force \propto extension / constant gradient (graph) | B1 | Not 'force \propto length' |
| (c) | force constant = $\frac{2.0}{0.04}$ force constant = 50 (N m ⁻¹) | C1 | Note: The mark is for any correct substitution |
| | | A1 | Allow: 1 mark for 0.5 (N m ⁻¹) – 10 ⁰ error Allow 1 mark for $5/12 \times 10^{-2} = 41.7$ or $4/10 \times 10^{-2} = 40$ or $3/8 \times 10^{-2} = 37.5$ or $2/6 \times 10^{-2} = 33.3$ or $1/4 \times 10^{-2} = 25$ |
| (d) | work done = $\frac{1}{2}Fx$ or $\frac{1}{2}kx^2$ or 'area under graph' work done = $\frac{1}{2} \times 3.0 \times 0.06$ or $\frac{1}{2} \times 50 \times 0.06^2$ work done = 0.09 (J) | C1 | Possible ecf |
| | | A1 | Note: 1 sf answer is allowed |
| | | B1 | |
| (e) | Find the gradient / slope (of the tangent / graph) Maximum speed at 1.0s / 3.0s / 5.0s / steepest 'part' of graph / displacement = 0 | B1 | |
| | | B1 | Allow: 2 marks for 'steepest / maximum gradient' |
| Total | | 8 | |

4.

| Question | Expected Answers | Marks | Additional Guidance |
|--------------|--|-----------|---|
| (a) | (i) It has maximum / large / increased stress at this point | B1 | Allow: it has 'same force but thinner/smaller area' Not: Thin / small area |
| | | B1 | Note: Need reference to force or stress removed Allow: '... does not return to original size / shape / length when force / stress is removed' |
| (b) | Measurement: ✎ Diameter Any two from: • original / initial length (Not: final length) • extension / initial and final lengths • weight / mass Equipment: ✎ Micrometer / vernier (calliper) (for the diameter of the wire) Any two from: • Ruler / (metre) rule / tape measure (for measuring the original length / extension) • Travelling microscope (for measuring extension) • Scales / balance (for measuring the mass & <i>mg</i> equation is used or for measuring weight) / Newtonmeter (for the weight of hanging masses) / 'known' weights used Determining Young modulus: • stress = force/(cross-sectional) area and strain = extension/original length • Young modulus = stress/strain / Young modulus is equal to the gradient from stress-strain graph (in the linear region) | B1 | The term <i>diameter</i> to be included and spelled correctly to gain the mark |
| | | B1 X 2 | |
| | | B1 | The term <i>micrometer / vernier (calliper)</i> to be included and spelled correctly to the gain mark. (ALLOW: Micrometer is used to measure area / radius / thickness – as BOD) |
| | | B1 X 2 | |
| | | B1 | Allow: 'known masses & <i>mg</i> equation' but not 'known masses' |
| | | B1 | Allow: stress = F/A and strain = x/L |
| B1 | Special case for determining Young modulus: Gradient from force-extension graph is $\frac{EA}{L}$ B1 Young modulus = gradient $\times L/A$ B1 | | |
| Total | | 10 | |

5.

| | | | |
|--------------|--|----------|---|
| a(i) | Y (is brittle) | B1 | |
| a(ii) | (Both) obey Hooke's law | B1 | Allow (For both) stress \propto strain / elastic (behaviour) / 'not plastic (behaviour)' / force \propto extension Not: 'straight line(s)' |
| a(iii) | Gradient (of the linear section) is equal to Young Modulus / gradient is largest | B1 | Allow: 'slope' for 'gradient' |
| | X (has largest Young modulus) | B1 | |
| b | (force increases by a factor of) 30^2 | C1 | Allow: 1 mark for value of breaking stress of $1.2(2) \times 10^9$ (Pa) |
| | force = 240×30^2 force = 2.16×10^5 (N) | A1 | |
| Total | | 6 | |

6.

| Question | | Answers | Marks | Guidance |
|--------------|---------|---|----------------|--|
| 6 | (a) | The extension \propto (applied) force (on spring) (as long as the elastic limit is not exceeded) | B1 | |
| | (b) (i) | Gradient / slope (of line / graph) / force divided by extension The term gradient / slope / divided to be included and spelled correctly to gain the B1 mark | B1 | Must use tick or cross on Scoris to show if the mark is awarded |
| | (ii) | Area (under the graph / line) | B1 | Allow: $\frac{1}{2} \times \text{force} \times \text{extension}$ Allow: $\frac{1}{2} \times \text{force constant} \times \text{extension}^2$ if (b)(i) is correct |
| | (c) | The extension (for the combination) is doubled Force (for each spring) is the same / constant (force constant = force/extension, hence it is halved) | B1 B1 | Allow: 1 mark for 'F is the same, x is doubled' Allow: 2 marks for 'the springs need half the force to give the same (total) extension' |
| | (d) (i) | Young modulus = stress/strain As long as the elastic limit is not exceeded / in the linear region of stress against strain graph / Hooke's law is obeyed | M1 A1 | |
| | (ii) 1 | stress = $\frac{4.2}{0.20 \times 10^{-6}}$ stress = 2.1×10^7 (Pa) | C1 A1 | Allow: 1 mark for 2.1×10^8 , n = 7 |
| | (ii) 2 | Young modulus = $\frac{2.1 \times 10^7}{0.015}$ Young modulus = 1.4×10^9 (Pa) | C1 A1 | Possible ecf from (ii)1 |
| | (ii) 3 | energy = $\frac{1}{2}Fx$ $x = 0.70 \times 0.015$ / $x = 0.0105$ (m) energy = $\frac{1}{2} \times 4.2 \times (0.70 \times 0.015)$ energy = 2.2×10^{-2} (J) | C1 C1 A1 | |
| Total | | | 14 | |

7.

| Question | Answer | Marks | Guidance |
|----------|--|----------------|---|
| (a) | The graph is a straight line through the <u>origin</u> / <u>F proportional</u> to <u>x</u> / force is <u>proportional</u> to extension | B1 | Use ticks on Scores to show where the marks are awarded origin / proportional must be spelled correctly to gain the mark Not: $F \propto x$ |
| (b) | force constant | B1 | Allow: spring constant |
| (c) | $\text{stress} = \frac{100}{\pi \times (2.8 \times 10^{-4})^2} (= 4.06 \times 10^8 \text{ Pa})$ $\text{strain} = \frac{4.0 \times 10^{-3}}{1.60} (= 2.5 \times 10^{-3})$ $E = \frac{4.06 \times 10^8}{2.5 \times 10^{-3}}$ Young modulus = 1.6×10^{11} (Pa) | C1 C1 A1 | Allow use of any other point on the graph. Alternative method: $E = \frac{FL}{Ax} \quad \text{C1 (Any subject)}$ $E = \frac{100 \times 1.60}{\pi \times (2.8 \times 10^{-4})^2 \times 4.0 \times 10^{-3}} \quad \text{C1}$ $E = 1.6 \times 10^{11} \text{ (Pa)} \quad \text{A1}$ Allow 2 marks for 1.6×10^n , $n \neq 11$ (POT error) |
| (d) | (Straight line) with quarter gradient Correct reasoning, for example: <ul style="list-style-type: none"> • gradient = EA/L <u>and</u> A decreases by a factor of 4 • A decreases by a factor of 4 <u>and</u> the same force gives 4 times the extension | B1 B1 | Note: No need to define the labels |
| (e) | $\frac{1}{2} kx^2 = \frac{1}{2} mv^2$ <u>Manipulation</u> leading to $v \propto x$, for example: <ul style="list-style-type: none"> • taking square root of both sides (gives $v \propto x$) • $v^2 \propto x^2$ (hence $v \propto x$) • $v = (\sqrt{k/m})x$ (and therefore $v \propto x$) | M1 A1 | Note: No need to define the labels |
| | Total | 9 | |